

# POLITECNICO MILANO 1863

# LAB1: Material balances

Writing the mass balances of the HDA process

Process Systems Engineering A – Prof. Davide Manca



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The **conceptual design** is a systematic procedure to evaluate different plant alternatives on an economic basis.

# Steps (Economic Potentials):

- 1. Selecting the type of process (EP1)
- 2. Identification of the input-output structure (EP2)
- 3. Identification of recycling (EP3)
- 4. Design of the separation section (EP4)
- 5. Thermal integration process (EP5)

Each level provides an increased detail compared to the previous one.



The **Process Systems Engineering A** practicals will deal with the basic design and economic analysis of a chemical plant dedicated to the hydrodealkylation of toluene to benzene (HDA process).



HDA process layout





# Desired reaction

 $C_7H_8 + H_2 \rightarrow C_6H_6 + CH_4$ 





### **BATCH PROCESS**

### **CONTINUOUS PROCESS**



The model



The HDA plant can be schematized in this simple way

## Process view and material balances (1/2)



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# Process view and material balances (2/2)



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Variables: 24

F1: 2 variables	B: 1 variable
$F_{h,F1}$ $F_{m,F1}$	$F_{b,B}$
<b>F2: 1 variable</b> $F_{t,F2}$	<b>T</b> : 1 variable $F_{t,T}$
<b>IN: 3 variables</b> $F_{h,IN}$ $F_{m,IN}$ $F_{t,IN}$	<b>D</b> : 1 variable $F_{d,D}$
<b>OUT:</b> 5 variables $F_{h,OUT}$ $F_{m,OUT}$ $F_{b,OUT}$ $F_{t,OUT}$ $F_{d,OUT}$	<b>R: 2 variables</b> $F_{h,R}$ $F_{m,R}$
<b>R+V: 2 variables</b> $F_{h,R+V}$ $F_{m,R+V}$	<b>V: 2 variables</b> $F_{h,V}$ $F_{m,V}$
Splitter SF	<b>Reactor</b> Temp P
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Vol

Equations: 17

### **MIXER: 3 constraints**

 $F_{h,IN} = F_{h,F1} + F_{h,R}$  $F_{m,IN} = F_{m,F1} + F_{m,R}$  $F_{t,IN} = F_{t,F2} + F_{t,T}$ 

SEPARATOR: 5 constraints

**SPLITTER**: 4 constraints

$$F_{h,R+V} = F_{h,OUT}$$

$$F_{m,R+V} = F_{m,OUT}$$

$$F_{b,B} = F_{b,OUT}$$

$$F_{t,T} = F_{t,OUT}$$

$$F_{d,D} = F_{d,OUT}$$

### **REACTOR:** 5 constraints

dV

$$F_{i,OUT} = F_{i,IN} + \int_{V} \sum_{j=1:NR} v_{i,j} R_j(T, P, \mathbf{x}) \, dV$$

$$\begin{cases} \frac{dF_{h}}{dV} = v_{h,1}R_{1}(T, P, \mathbf{x}) + v_{h,2}R_{2}(T, P, \mathbf{x}) \\ \frac{dF_{m}}{dV} = v_{m,1}R_{1}(T, P, \mathbf{x}) \\ \frac{dF_{b}}{dV} = v_{b,1}R_{1}(T, P, \mathbf{x}) + v_{b,2}R_{2}(T, P, \mathbf{x}) \\ \frac{dF_{t}}{dV} = v_{t,1}R_{1}(T, P, \mathbf{x}) \\ \frac{dF_{t}}{dV} = v_{d,2}R_{2}(T, P, \mathbf{x}) \end{cases}$$

$$F_{h,V} = SF \cdot F_{h,R+V}$$

$$F_{m,V} = SF \cdot F_{m,R+V}$$

$$F_{h,R} = (1 - SF) \cdot F_{h,R+V}$$

$$F_{m,R} = (1 - SF) \cdot F_{m,R+V}$$
add SF
add Temp, P, Vol

$$\begin{cases} F_h(V = V_{tot}) = F_{h,OUT} \\ F_m(V = V_{tot}) = F_{m,OUT} \\ F_b(V = V_{tot}) = F_{b,OUT} \\ F_t(V = V_{tot}) = F_{t,OUT} \\ F_d(V = V_{tot}) = F_{d,OUT} \end{cases}$$

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 $\left(F_h(V=0)=F_{h,IN}\right)$ 

 $\begin{cases} F_{m}(V=0) = F_{m,IN} \\ F_{m}(V=0) = F_{m,IN} \\ F_{b}(V=0) = 0 \\ F_{t}(V=0) = F_{t,IN} \\ F_{d}(V=0) = 0 \end{cases}$ 

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